



### 1. Free Cash Flows: ✓

Business (Firm) → Shareholders

FCFF → FCFE

$\$100 \times (1-20\%)$	
<u>EBIT</u> $\times (1-T)$	= 80
+ Depreciation	10
Working Capital	
→ + inventory	- 10
- PP&E	- 10
<u>FCFF</u>	= 70
$\$5 \times (1-20\%)$	
- Interest $\times (1-T)$	- 4
+ Debt	+ 10

(V<sub>e</sub>)  
(Value of Equity)

FCFE  
(Dividend Capacity)

$\frac{\$7.6}{\$7.6} = 10 \text{ Times}$

Dividend Cover

2. Payback ; Discounted Payback ; Duration :

Payback

—

YRS

0

1

2

3

1 YR +  $\frac{60}{70}$  →

= 1.86 YRS

Payback

Discounted Payback

Cash Flows / PV

Cum CFs / PV

- \$100

+ \$40

+ \$70

+ \$1

\$100 x

- \$60

3. Duration:

$$\frac{\text{Sum } PV \times YRS}{\text{Sum } PV}$$

- 1. No of YRS to recover for PV.
  - if Discounted at Cost of Capital.
- 2. No of YRS to recover for Investment
  - if discounted at IRR.
- 3. ↑ Duration      ↑ Risk.

4. IRR & MZRR

- Relative Figures  $\rightarrow$  simple to understand
- $>$  cost of capital  $\checkmark$
- Reinvestment assumption:  $\frac{IRR}{\checkmark}$   $\frac{MIRR}{\downarrow}$   
at cost of capital.

## 5. Value at Risk (VAR)

$$= Z \times \sigma \times \sqrt{T} \rightarrow (T)^{(0.5)}$$

$$\begin{aligned} & \downarrow \\ & \$30 \times 99\% \rightarrow 2.33 \times \sqrt{4} \rightarrow 2 \\ & 95\% \rightarrow 1.65. \end{aligned} = \$139.8$$

Over 4 years, 99% chance Projects value will NOT Fall by More than \$139.8.

## 6. Real Option:

$$\text{Traditional NPV} = \$ (2.98 \text{ m})$$

$$+ \text{Options} \begin{cases} \text{Call (BSOP)} & \$ 9.53 \text{ m} \\ \text{Put} & \$ 6.55 \text{ m} \end{cases}$$

$$\text{PV (Pa)} = \$ 38.75 \text{ m.}$$

$$\text{Cost (Pe)} = \$ 35 \text{ m.}$$

$$T \text{ (time before)} = 2 \text{ YRS}$$

incurring costs

$$R_f = 3.5\%$$

$$\sigma \text{ (Volatility)} = 30\%$$

## 7. APV (Adjusted Present Value).

$$\text{APV} = \underbrace{\text{Base Case NPV}}_{\text{Operating CFs (Kew)}} \pm \underbrace{\text{PV of Fin Effect}}_{\text{Financing CFs : Rf.}}$$

Operating CFs  
(Kew)

Financing CFs : Rf.

$$1. \text{ M\&M2: } K_{eq} = K_{eu} + (K_{eu} - K_d) \cdot \frac{D \times (1-T)}{E}$$

$$2. \text{ CAPM: } K_{eu} = R_f + \beta_a (R_m - R_f)$$

$$\beta_a = \beta_e \times \frac{E}{E + D \times (1-T)}$$

Issue Costs    Interest    Subsidiary

$\downarrow$      $\downarrow$      $\downarrow$

$\frac{1}{2} \times \$ \times (1-T)$      $\text{Int} \times T$     ①  $\text{Int} \times T$

$$② \left( \frac{\Delta\% \times \$100}{2\%} \right) \times (1-T)$$